

Dynamics of Kolmogorov systems of competitive type under the telegraph noise

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Abstract: This paper studies the dynamics of Kolmogorov systems of competitive type under the telegraph noise. The telegraph noise switches at random two Kolmogorov competition-type deterministic models. The aim of this work is to describe the omega-limit set of the system and investigates properties of stationary density. ?? 2010 Elsevier Inc.

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